

CS769 Advanced NLP

# Sequence Labeling II

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Slides adapted from Yulia

<https://junjiehu.github.io/cs769-spring22/>

# Recap: HMM

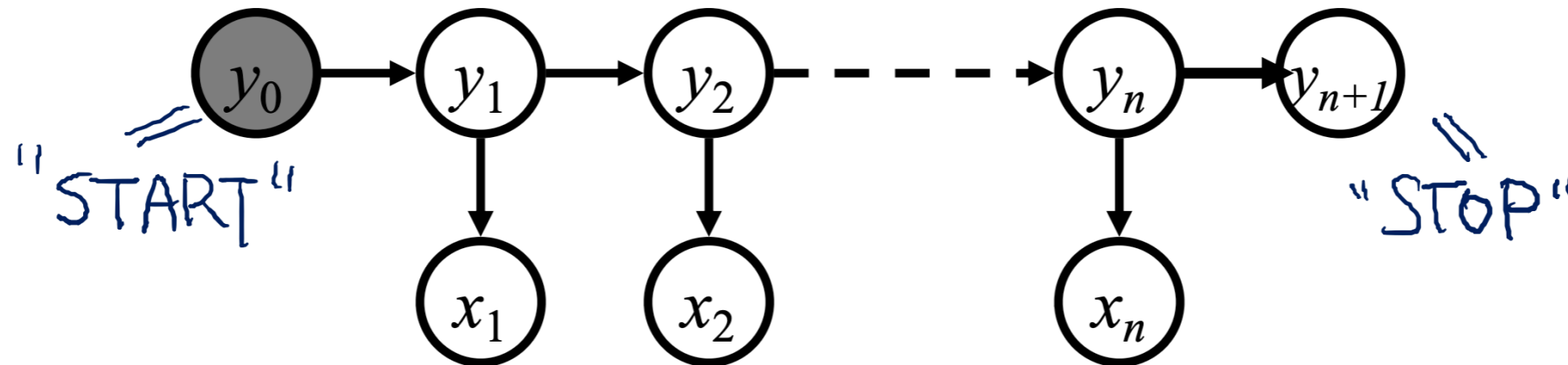
- **Generative model:** Learn a joint probability of  $p(x_1 \cdots x_n, y_1 \cdots y_{n+1})$

- Use the 1st order Markov assumption

$$p(x_1 \cdots x_n, y_1 \cdots y_{n+1}) = q(\text{STOP} | y_n) \prod_{i=1}^n q(y_i | y_{i-1}) e(x_i | y_i)$$

- $e(x_i | y_i)$ : Probability of state  $y_i$  generating  $x_i$
- $q(y_{i+1} | y_i)$ : Probability of state  $y_i$  transitioning to  $y_{i+1}$
- $q(\text{STOP} | y_n)$ : Probability of  $y_n$  being the last state

# Graphical Model Representation of HMM



$$p(x_1 \dots x_n, y_1 \dots y_{n+1}) = q(\text{STOP} | y_n) \prod_{i=1}^n q(y_i | y_{i-1}) e(x_i | y_i)$$

where  $y_0 = \text{START}$  and we call  $q(y' | y)$  the transition distribution and  $e(x | y)$  the emission (or observation) distribution.

# Recap: Naive Bayes & HMMs

- Naive Bayes (for text classification):

$$P(X, y) = P(X|y)P(y) = \left( \prod_{x_i} P(x_i|y) \right) P(y)$$

- Hidden Markov Models (for sequence labeling):

$$\begin{aligned} P(X, Y) &= q(\text{STOP}|y_n) \prod_{i=1}^n q(y_i|y_{i-1}) e(x_i|y_i) \\ &= \left( q(\text{STOP}|y_n) \prod_{i=1}^n q(y_i|y_{i-1}) \right) \left( \prod_{i=1}^n e(x_i|y_i) \right) \\ &= P(Y) \left( \prod_{i=1}^n P(x_i|y_i) \right) \end{aligned}$$

HMMs  $\approx$  sequence version of Naive Bayes!  
Both are generative models.



# Generative v.s. Discriminative

- **Generative Models:**

- Joint probability:  $P(X, Y)$
- Make prediction by  $\arg \max_Y P(X, Y)$
- Can generate new samples  $(X, Y)$
- Examples: **HMMs, Naive Bayes**

- **Discriminative Models:**

- Conditional probability:  $P(Y|X)$
- Can directly predict  $\arg \max_Y P(Y|X)$
- Examples: **Conditional Random Fields, Logistic Regression**

- Both trained via Maximum Likelihood Estimation

# Conditional Random Fields

(Sequential Version of Logistic Regression)

# Recap: Logistic Regression (Log Linear Models)

- **Text classification:**  $X = \{x_1 \cdots, x_n\}, y \in \{1 \cdots C\}$

$$P(y = c|X) = \frac{\exp(w_c^T f(X) + b_c)}{\sum_k \exp(w_k^T f(X) + b_k)}, \quad w_c, f(X) \in \mathbb{R}^d$$

$F(X, y = c)$  Scoring function

$Z(X)$  Normalization constant or partition function

- **“Log-linear” assumption:**

- The features of the input is “log-linear” to the output

$$\log P(y = c|X) = F(y = c, X) - \log Z(X)$$

- Very flexible to include hand-crafted features (or learned features by neural networks)

# Linear chain Conditional Random Fields ("Log-Linear" 1<sup>st</sup> order Sequential Model)

- **Sequence labeling**  $X = \{x_1 \cdots x_n\}$ ,  $Y = \{y_1 \cdots y_n, \text{STOP}\}$ :

$$P(Y|X) = \frac{1}{Z(X)} \exp \left( \sum_{j=1}^d \sum_{i=1}^n \lambda_j q_j(y_{i-1}, y_i, X) + \sum_{j=1}^d \sum_{i=1}^n \mu_j g_j(y_i, X) \right)$$

$$Z(X) = \sum_Y \exp(F(Y, X))$$

$d_1$  features  
scoring transitions

$d_2$  features scoring each  
state w/ input sequence

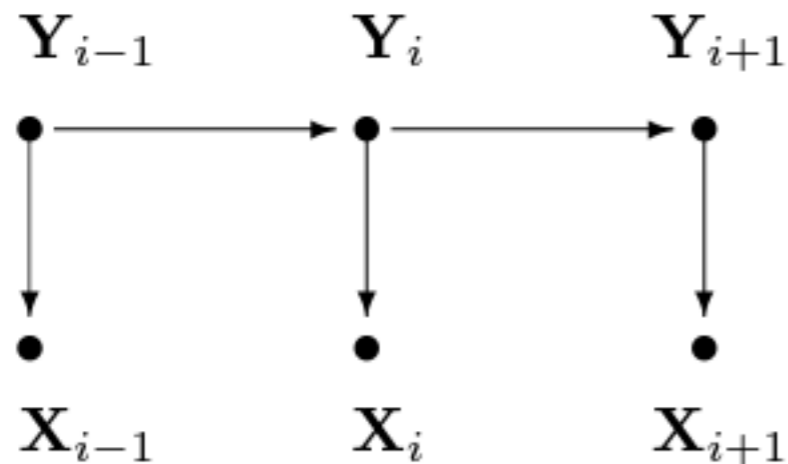
$$F(Y, X) = w^T f(Y, X) = \sum_{j=1}^d \sum_{i=1}^n w_j f_j(y_{i-1}, y_i, X, i), \quad w, f(Y, X) \in \mathbb{R}^d$$

$$f_j(y_{i-1}, y_i, X, i) = q_j(y_{i-1}, y_i, X) + g_j(y_i, X)$$

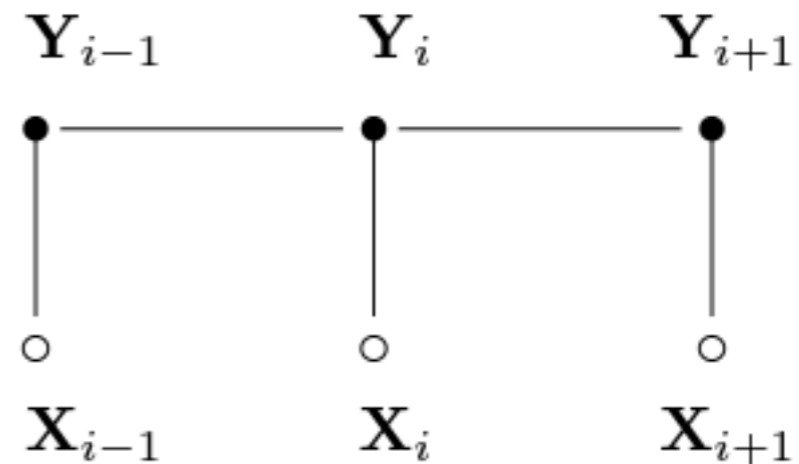
$$w_j = \lambda_j + \mu_j$$

# Compare HMM and linear chain CRF

- Directed graphical model vs undirected graphical model



HMM  
(Generative)



Chain-structure CRF  
(Discriminative)

An open circle indicates that the variable is not generated by the model.

# CRF: Learning

- **Learning:** maximize the log-likelihood over the training data

$$\mathcal{L}(w) = \sum_{(X,Y) \sim \mathcal{D}_{\text{train}}} \log P(Y|X)$$

$$= \sum_{(X,Y) \sim \mathcal{D}_{\text{train}}} w^\top f(Y, X) - \log Z(X)$$

$$w^* = \arg \max_w \mathcal{L}(w)$$

Sum over all possible outputs  $Y$   
for an input  $X$  — Brute force  
solution: score  $n^C$  outputs  
Can we do faster?

- **Update:** stochastic gradient descent to move in a direction that decreases the loss

$$w \leftarrow w - \alpha \frac{\partial \mathcal{L}(w)}{\partial w}$$

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# Reflection of Gradient

- The gradient w.r.t. each feature weight

$$\frac{\partial \mathcal{L}(w)}{\partial w_j} = \sum_{(X,Y) \in \mathcal{D}_{\text{train}}} \sum_{i=1}^n f_j(y_{i-1}, y_i, X, i) - \sum_{X \in \mathcal{D}_{\text{train}}} \sum_{i=1}^n \mathbb{E}_{y'_{i-1}, y'_i} f_j(y'_{i-1}, y'_i, X, i)$$

observed feature counts

—

expected feature counts



# Dynamic Programming

- **Learning:** maximize the log-likelihood over the training data

$$\begin{aligned}\frac{\partial \log Z(X)}{\partial w_j} &= \mathbb{E}_Y \left[ \sum_{i=1}^n f_j(y_{i-1}, y_i, X, i) \right] \\ &= \sum_{i=1}^n \mathbb{E}_{y'_{i-1}, y'_i} [P(y'_{i-1}, y'_i | X) f_j(y'_{i-1}, y'_i, X, i)] \\ &= \sum_{i=1}^n \sum_{y'_{i-1}, y'_i} P(y'_{i-1}, y'_i | X) f_j(y'_{i-1}, y'_i, X, i)\end{aligned}$$

$P(y'_{i-1}, y'_i | X)$  can be computed by dynamic programming (forward-backward algorithm) — sum production algorithm, basically replace the max operation in Viterbi algorithm by sum operation

# CRF Decoding: Viterbi

- Same as HMM decoding
- Viterbi (max-production algorithm): define the recursive function to compute the max value of the past partial sequence

$$Y^* = \arg \max_Y \log P(Y|X)$$

$$= \arg \max_Y w^\top f(Y, X) - \log Z(X)$$

Decoding output  
doesn't depend on the  
second term

$$= \arg \max_Y \sum_{i=1}^n \sum_{j=1}^d w_j f_j(y_{i-1}, y_i, X, i)$$

# Feature functions

- Feature functions based on **possible combination of words and tags**, or other information such as POS tag (if given), whether the word is capitalized or not

$$q_1(y_{i-1}, y_i, X) = \begin{cases} 1 & \text{if } y_{i-1} = \text{OTHER and } y_i = \text{PERSON} \\ 0 & \text{otherwise} \end{cases}$$

$$g_2(y_i, X) = \begin{cases} 1 & \text{if } y_i = \text{PERSON and } x_i = \text{John} \\ 0 & \text{otherwise} \end{cases}$$

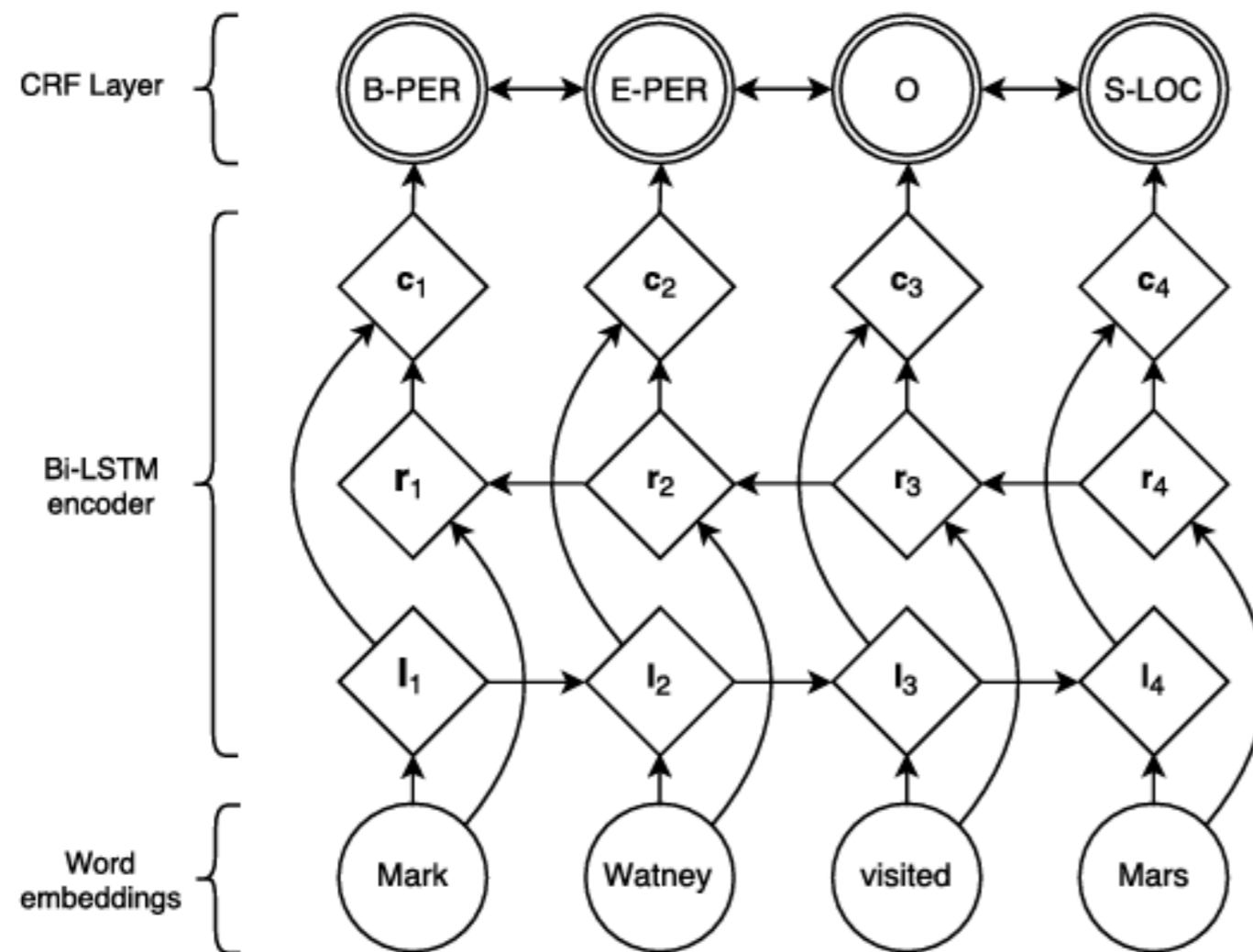
Feature values are not limited to just binary values, can be real-values too.  
Number of features can be tens of thousands or more.

# Feature Selection

1. Initially CRF model has no features (uniform prediction)
2. Create some candidate feature sets, e.g., (combination of any word-tag pairs,  $x=John$ ,  $y_i= PERSON$ ). There are  $VK$  possible pairs
3. Build a new CRF w/ a subset of features
4. Include the selected features that improves over the previous CRF
5. Go to step 3 until enough features have been added to CRF

# Neural CRF

- Rather than hand-crafted features, let's use NN to learn features.



$$p(\mathbf{y}|\mathbf{X}) = \frac{e^{s(\mathbf{X},\mathbf{y})}}{\sum_{\tilde{\mathbf{y}} \in \mathbf{Y}_{\mathbf{X}}} e^{s(\mathbf{X},\tilde{\mathbf{y}})}}$$

$$s(\mathbf{X}, \mathbf{y}) = \sum_{i=0}^n A_{y_i, y_{i+1}} + \sum_{i=1}^n P_{i, y_i}$$

# Learned Feature

- $P_{i,y_i}$ : the output of the bi-LSTM model followed by a linear projection layer.  $P \in \mathbb{R}^{n \times C}$
- $A \in \mathbb{R}^{C+2 \times C+2}$ : is the transition matrix from one state (tag) to the other state, including the start/end states (so  $C+2$ ).

$$s(\mathbf{X}, \mathbf{y}) = \sum_{i=0}^n A_{y_i, y_{i+1}} + \sum_{i=1}^n P_{i, y_i}$$

Scoring the transition

Scoring the association  
Of tag  $y_i$  w/ the input  $X$

# Training: forward pass

- During training, we need to compute the log of the condition probability:

$$\begin{aligned}\log(p(\mathbf{y}|\mathbf{X})) &= s(\mathbf{X}, \mathbf{y}) - \log \left( \sum_{\tilde{\mathbf{y}} \in \mathbf{Y}_{\mathbf{X}}} e^{s(\mathbf{X}, \tilde{\mathbf{y}})} \right) \\ &= s(\mathbf{X}, \mathbf{y}) - \underset{\tilde{\mathbf{y}} \in \mathbf{Y}_{\mathbf{X}}}{\text{logadd}} s(\mathbf{X}, \tilde{\mathbf{y}}), \quad (1)\end{aligned}$$

- Why?
  - Avoid floating-point issues, more stable.
  - The second term can be solved by dynamic programming (sum-product)
- Use MLE as objective function, and NN-based back-propagation to update the gradient of each learning parameters (including Bi-LSTM, CRF layer)

# Code Walk: Neural CRF Implementation

[https://pytorch-crf.readthedocs.io/en/stable/\\_modules/torchcrf.html#CRF.forward](https://pytorch-crf.readthedocs.io/en/stable/_modules/torchcrf.html#CRF.forward)



# More Sequence Labeling Examples

# Named Entity Recognition

- Goal: Segment text into spans with certain properties
- e.g., entities: PER, ORG, and LOC

Germany 's representative to the European Union 's  
veterinary committee Werner Zwingman said on Wednesday  
consumers should...



[Germany]<sub>LOC</sub> 's representative to the [European Union]<sub>ORG</sub> 's  
veterinary committee [Werner Zwingman]<sub>PER</sub> said on  
Wednesday consumers should...

Is this a sequence labeling task?

# NER (IOB format)

- BL, BO, BP: beginning of LOC, ORG, PER respectively
- CL, CO, CP: continuation of chunks for LOC, ORG, PER
- NA: other words

Germany 's representative to the European Union 's  
veterinary committee Werner Zwingman said on Wednesday  
consumers should...



Germany/BL 's/NA representative/NA to/NA the/NA European/BO  
Union/CO 's/NA veterinary/NA committee/NA Werner/BP Zwingman/CP  
said/NA on/NA Wednesday/NA consumers/NA should/NA...

# NER as Sequence Labeling

- IOB tagging scheme

[ORG **American Airlines**], a unit of [ORG **AMR Corp.**], immediately matched the move, spokesman [PER **Tim Wagner**] said.

Words	IOB Label	IO Label
American	B-ORG	I-ORG
Airlines	I-ORG	I-ORG
,	O	O
a	O	O
unit	O	O
of	O	O
AMR	B-ORG	I-ORG
Corp.	I-ORG	I-ORG
,	O	O
immediately	O	O

# Named Entity tags

Type	Tag	Sample Categories	Example sentences
People	PER	people, characters	<b>Turing</b> is a giant of computer science.
Organization	ORG	companies, sports teams	The <b>IPCC</b> warned about the cyclone.
Location	LOC	regions, mountains, seas	The <b>Mt. Sanitas</b> loop is in <b>Sunshine Canyon</b> .
Geo-Political Entity	GPE	countries, states, provinces	<b>Palo Alto</b> is raising the fees for parking.
Facility	FAC	bridges, buildings, airports	Consider the <b>Golden Gate Bridge</b> .
Vehicles	VEH	planes, trains, automobiles	It was a classic <b>Ford Falcon</b> .

# Ambiguity in NER

- Washington can be PER or ORG or LOC, VEH

[PER Washington] was born into slavery on the farm of James Burroughs.

[ORG Washington] went up 2 games to 1 in the four-game series.

Blair arrived in [LOC Washington] for what may well be his last state visit.

In June, [GPE Washington] passed a primary seatbelt law.

The [VEH Washington] had proved to be a leaky ship, every passage I made...



# Common hand-crafted Features

identity of  $w_i$ , identity of neighboring words

embeddings for  $w_i$ , embeddings for neighboring words

part of speech of  $w_i$ , part of speech of neighboring words

base-phrase syntactic chunk label of  $w_i$  and neighboring words

presence of  $w_i$  in a **gazetteer**

$w_i$  contains a particular prefix (from all prefixes of length  $\leq 4$ )

$w_i$  contains a particular suffix (from all suffixes of length  $\leq 4$ )

$w_i$  is all upper case

word shape of  $w_i$ , word shape of neighboring words

short word shape of  $w_i$ , short word shape of neighboring words

presence of hyphen

# Common hand-crafted Features

- gazetteers
  - A list of place names providing millions of entries for locations with detailed geographical and political information
  - binary indicator features: define the condition for some prefix, suffix, etc.

$\text{prefix}(w_i) = L$

$\text{prefix}(w_i) = L'$

$\text{prefix}(w_i) = L'0$

$\text{prefix}(w_i) = L'0c$

$\text{word-shape}(w_i) = X'Xxxxxxx$

$\text{suffix}(w_i) = \text{tane}$

$\text{suffix}(w_i) = \text{ane}$

$\text{suffix}(w_i) = \text{ne}$

$\text{suffix}(w_i) = \text{e}$

$\text{short-word-shape}(w_i) = X'Xx$



# Semantic Role Labeling

- A *semantic role* in language is the relationship that a syntactic constituent has with a predicate.
- Typical semantic arguments include **Agent, Patient, Instrument**, etc. and also adjunctive arguments indicating **Locative, Temporal, Manner, Cause**, etc. aspects.
- Recognizing and labeling semantic arguments is a key task for answering "**Who**", "**When**", "**What**", "**Where**", "**Why**", etc. questions in Information Extraction, Question Answering, Summarization.

[<sub>A0</sub> He ] [<sub>AM-MOD</sub> would ] [<sub>AM-NEG</sub> n't ] [<sub>V</sub> accept ] [<sub>A1</sub> anything of value ] from [<sub>A2</sub> those he was writing about ] .

**V:** verb  
**A0:** acceptor  
**A1:** thing accepted  
**A2:** accepted-from  
**A3:** attribute  
**AM-MOD:** modal  
**AM-NEG:** negation

# Multilingual POS tagging

- In morphologically-rich languages like Czech, Hungarian, Turkish
  - a 250,000 word token corpus of Hungarian has more than twice as many word types as a similarly sized corpus of English
  - a 10 million word token corpus of Turkish contains four times as many word types as a similarly sized English corpus
- => Many UNKs
- More information is coded in morphology

Yerdeki **izin** temizlenmesi gerek.

**The trace** on the floor should be cleaned.

iz + Noun+A3sg+Pnon+Gen

Üzerinde parmak **izin** kalmış

**Your** finger **print** is left on (it).

iz + Noun+A3sg+P2sg+Nom

# Multilingual POS tagging

- In non-word-space languages like Chinese word segmentation is either applied before tagging or done jointly
  - UNKs are difficult: the majority of unknown words are common nouns and verbs because of extensive compounding
- Universal POS tagset accounts for cross-linguistic differences

Questions?